

## THE CASE OF THE DISAPPEARING PHILLIPS CURVE

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CENTRAL TO AMERICA'S ECONOMY\*

FLATTENING	Model	MONETARY POLICY	REGRESSIONS	Relevance	IMPLICATIONS

### Introduction

	FLATTENING	Model	MONETARY POLICY	REGRESSIONS	RELEVANCE	IMPLICATIONS
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INTR	ODUCTION					

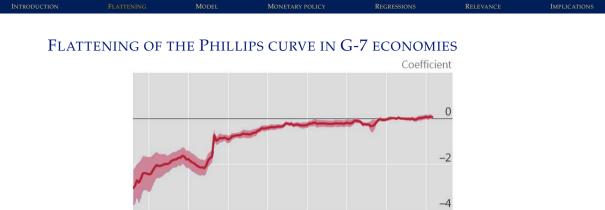
- The slope of estimated Phillips curves in G-7 economies was negative in the 1980s but has been drifting toward zero in the inflation targeting era since 1995.
- This is an empirical phenomenon often referred to as a "flattening Phillips curve."
- Monetary authorities have generally improved policy during the inflation targeting era—inflation has generally been lower, less volatile and closer to stated inflation targets.
- I will argue that the improved monetary policy has led to the flatter empirical Phillips curve.
- I will draw out the implications for monetary policy after making my core argument.

	Model	MONETARY POLICY	REGRESSIONS	Relevance	IMPLICATIONS

# Empirical Evidence of a Flatter Phillips Curve

#### EMPIRICAL EVIDENCE ON THE PHILLIPS CURVE

- In the past 30 years, the empirical Phillips curve has flattened in advanced economies.
- The following chart shows the coefficient on a measure of resource slack (unemployment) in a regression of price inflation on resource utilization.
  - The analysis is contained in the latest BIS annual report.
  - The data are for a panel of G-7 economies.
  - The coefficient is estimated for rolling 15-year samples, from the 1980s to the present.
  - The point estimate is a weighted average across economies.



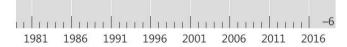


FIGURE: Time-varying Phillips curve slope. Source: Bank for International Settlements (2017).

FLATTENING	MONETARY POLICY	Regressions	Relevance	IMPLICATIONS

## A Simple Model

#### A SIMPLE AND STANDARD MODEL

- I will use a simple and standard model to state the argument.
- This model is a version of more complicated models that underlie much of the analysis in modern central banking.

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STANDARD N namic IS equati	JESIAN MODEL			

$$y_{t} = E_{t}(y_{t+1}) - \frac{1}{\sigma} [i_{t} - (\rho + \epsilon_{t}) - E_{t}(\pi_{t+1})]$$
(1)

• A structural, New Keynesian Phillips curve:

$$\pi_t = \kappa y_t + \beta E_t \left( \pi_{t+1} \right) + u_t \tag{2}$$

• Monetary policy conducted using a Taylor-type monetary policy rule:

$$i_t = \rho + \varphi_\pi \pi_t + \varphi_y y_t \tag{3}$$

- y,  $\pi$ , i,  $\rho + \epsilon$ : the output gap, inflation gap, short-term nominal interest rate and natural real rate of interest, respectively.
- *c*, *u*: the natural rate shock and the cost-push shock, respectively.
- $\sigma$ ,  $\kappa$ ,  $\beta$ : structural parameters, all positive.
- $\varphi_{\pi}$ ,  $\varphi_{y}$ : policy parameters, with  $\varphi_{\pi} > 1$  and  $\varphi_{y} > 0$ .



#### MODEL EQUILIBRIUM

• The equilibrium has the output gap and the inflation gap evolving as linear functions of the shocks:

$$y_t = \frac{\epsilon_t - \varphi_\pi u_t}{\sigma + \varphi_y + \kappa \varphi_\pi},$$
(4)  

$$\pi_t = \frac{\kappa \epsilon_t + (\sigma + \varphi_y) u_t}{\sigma + \varphi_y + \kappa \varphi_\pi}.$$
(5)

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## Monetary Policy

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#### CONSTRAINED OPTIMAL MONETARY POLICY

- We look for optimal monetary policy within the set of Taylor-type rules in the model.
- Fix  $\varphi_y$  to any positive value, and then choose the optimal value of  $\varphi_{\pi}$  by minimizing a quadratic:

$$\varphi_{\pi} = \arg\min\left(1-\beta\right)\sum_{t=0}^{\infty}\beta^{t}\left(\alpha\pi_{t}^{2}+y_{t}^{2}\right),\tag{6}$$

where  $\alpha > 0$  represents the relative weight on the desirability of inflation stabilization compared to output stabilization.

 Regardless of the value of *α*, the solution to this problem is to set a large coefficient on the inflation gap, technically, *φ*<sub>π</sub> → ∞.

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#### INTERPRETATION: BETTER INFLATION TARGETING

- Interpretation of the solution: "The policymaker should promise to react aggressively to deviations of inflation from target in conducting monetary policy."
- The idea that policymakers put more weight on inflation deviations during the post-1995 period could be related, in part, to quantitative easing and other unconventional policy measures during years when inflation has been below target.

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## Empirical Phillips Curves from Model Data

INTRODUCTION	FLATTENING	MODEL	MONETARY POLICY	REGRESSIONS	RELEVANCE	IMPLICATIONS
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The	Phillips cu	RVE SLOPE	E IN THEORY			

- Now let's regress the inflation gap on the output gap inside the model and call the estimated coefficient "the slope of the empirical Phillips curve."
- The slope can be calculated exactly as

$$\gamma = \frac{Cov\left(\pi_t, y_t\right)}{Var\left(y_t\right)} = \frac{\kappa\sigma_\epsilon^2 - \varphi_\pi\left(\sigma + \varphi_y\right)\sigma_u^2}{\sigma_\epsilon^2 + \varphi_\pi^2\sigma_u^2}.$$
(7)

- $\sigma_{\epsilon}^2$ ,  $\sigma_{u}^2$ : variance of the natural rate shock and cost-push shock, respectively.
- **Main result:** Under the optimal monetary policy defined above, the empirical Phillips curve becomes flat, that is,

$$\lim_{\varphi_{\pi} \to \infty} \gamma = 0. \tag{8}$$

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## **Empirical Relevance**



#### EMPIRICAL RELEVANCE

- Would this Lucas critique effect be large enough to importantly affect estimated Phillips curve coefficients?
- I consider a similar model, estimated by Lubik and Schorfheide (2004, AER).
- I use mean estimates for post-1982 data from their Table 3, p. 206, to generate artificial data and regress inflation on the output gap.
- I use Okun's law with a coefficient of -2.3 to translate the Phillips curve slope in terms of unemployment.
- The following chart suggests that, at these parameter values, the slope of the estimated Phillips curve would attenuate significantly as  $\varphi_{\pi}$  increases.

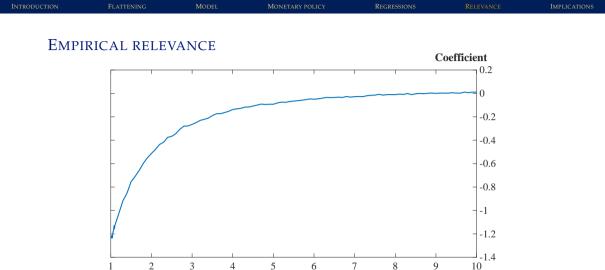


FIGURE: Phillips curve slope as a function of the interest rate response to inflation.

 $\varphi_{\pi}$ 

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Additi	ONAL LITER	ATURE			

- Boivin and Giannoni (2006, REStat)
  - Monetary policy has been more effective in stabilizing the economy post-1980 by responding more aggressively to inflation expectations.
- Del Negro, Giannoni and Schorfheide (2015, AEJ Macro)
  - During the Great Recession, did the Phillips curve (PC) break down (sharp decline in real activity, but only modest decline in inflation)? No: A standard DSGE model with a time-varying inflation target and financial frictions predicts a sharp contraction in economic activity and a modest and protracted decline in inflation in response to financial stress.
- McLeay and Tenreyro (2018, CEPR DP12981)
  - The structural PC is a *positive* relationship between inflation and the output gap. Optimal policy induces a *negative* relationship between inflation and the output gap in response to cost-push shocks. Thus, the PC cannot be easily identified in the data.

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## Implications for Today's Monetary Policymakers

#### LOOK FOR A DIFFERENT SIGNAL

- Ultimately, successful monetary policy can push the empirical Phillips curve slope all the way to zero.
- The model economy in this talk still has a structural Phillips curve; it is only the empirical Phillips curve that is "disappearing."
- Today's G-7 monetary policymakers are unlikely to glean a reliable signal for monetary policy based on empirical Phillips curve slope estimates—they have to look elsewhere.